GCSE Unit 2.1 | Algorithms



Name:

Specification & learning objectives

- Computational thinking.
- Standard searching algorithms.
- Standard sorting algorithms.
- How to produce algorithms.
- Interpreting, correcting and completing algorithms.

Resources

PG Online text book page ref: 66-88

CraignDave videos for SLR 2.1

GCSE Unit 2.1 | Algorithms



Abstraction		
Abstraction means:		
Example of an abstraction:		
Real aeroplane:	Paper aeroplane:	Necessary features of a paper aeroplane:
		Unnecessary features of a paper aeroplane:



Abstraction

Cat:	Cat icon:	Necessary features of the icon:	Unnecessary features of the icon:
Dog:	Dog icon:	Necessary features of the icon:	Unnecessary features of the icon:
Rabbit:	Rabbit icon:	Necessary features of the icon:	Unnecessary features of the icon:

Abstraction

A computer program that outputs whether a capital city in Europe is north or south of another capital city in Europe only needs to know the latitude of the two cities. The other detail is unnecessary. This is an example of abstraction: including the necessary detail and not including the unnecessary detail.

City Latitude (N) Reykjavil Dublin 53.3498 London 51.5074 Oslo 59.9139 Helsinki Oslo 🔴 Stockholm 48.8566 Paris Tallinn • Moskau • Riga Madrid 40.4168 Kopenhagen Wilna Dublin Minsk Amsterdam Warschau . Berlin • London Program: Kiew è Brüssel • Prag Luxemburg Paris . Bratislava Chişinău Wien • Vaduz Budapest Berne jubljana . **Bukarest** • Zagreb Belgrad Monaco San Marino Andorra la Vella Sarajevo • Sofia Madrid Podgorica Skopje Lissabon • Ankara Rom, Vatikanstadt Tirana 530 Nikosia • Valletta



Decomposition

Decomposition means:

Examples of problem decomposition in every-day life:

Making toast:



Making a fairy cake:





Decomposition

Advantages of decomposition include:

Example of problem decomposition in making costume jewellery:







Algorithmic thinking

Decomposition of pick up sticks:

Program:





Algorithmic thinking

Decomposition of noughts and crosses:



GCSE Unit 2.1 | Algorithms





Pseudocode of the linear search algorithm:

book = ["Archaeology", "Art", "Biology", "Chemistry", "Computing", "English", "French", "Geography", "History", "Maths", "Psychology"]

GCSE Unit 2.1 | Algorithms







Binary search

Pseudocode of the binary search algorithm:	book = ["Archaeology", "Art", "Biology", "Chemistry", "Computing", "English", "French", "Geography", "History", "Maths", "Psychology"]
	found = False left = 0
	right = LEN(book)-1 find = "Geography"



Bubble sort

How a bubble sort works:

Note how 32 has "bubbled" to the top. This is how the bubble sort got its name. The algorithm has been optimised so it does not check the numbers already bubbled to the top. It can also stop if no swaps are made after all the numbers are checked.





Check 2 and 16. No swap. Check 16 (and 8. Swap.

Check 16 and 24. No swap.





Check 2 and 8. No swap.



Merge sort

How a merge sort works:





Merge sort

How a merge sort works: 24 32

> Original list.

Split into adjacent sublists of up to two numbers.

Swap numbers if necessary in each sub list. 8 and 16 swap. Merge adjacent lists together by comparing the first number in each list, moving the smaller number into a new list, one number at a time. Merge adjacent lists together by comparing the first number in each list, moving the smaller number into a new list, one number at a time.



Insertion sort

How an insertion sort works:

Yellow dotted box: unsorted data in the list:



Green solid box: sorted data in the list:



Flow diagram symbols





How to produce algorithms using flow diagrams

An algorithm for an RPG game displays 3 choices from a menu and allows the user to enter their choice.

Play game
 Change character

3. Quit

The user input is validated so only the numbers 1-3 can be entered.



Interpret, correct or complete algorithms.

An algorithm for an RPG game displays 3 choices from a menu and allows the user to enter their choice.

1. Play game

2. Change character

3. Quit

The user input is validated so only the numbers 1-3 can be entered.

DO

OUTPUT "1. Play game" OUTPUT "2. Change character" OUTPUT "3. Quit"

INPUT INT(choice)

WHILE choice<1 AND choice>4



How to produce algorithms using flow diagrams

An algorithm for an RPG game handles a battle between two player characters.

Each character has an attack and defence attribute that must be input by the user before an engagement.

When the two characters engage, a random number between 1 and 12 is generated for each player.

The attack attribute plus the defence attribute is added to the player's dice roll.

If player 1's total is greater than player 2's total, player 1 wins otherwise player 2 wins.

The winner is output.



How to produce algorithms using pseudocode

An algorithm for an RPG game handles a battle between two player characters.

Each character has an attack and defence attribute that must be input by the user before an engagement.

When the two characters engage, a random number between 1 and 12 is generated for each player.

The attack attribute plus the defence attribute is added to the player's dice roll.

If player 1's total is greater than player 2's total, player 1 wins otherwise player 2 wins.

The winner is output.



Interpret, correct or complete algorithms.

Modified algorithm to correct an issue with player 2 winning more battles than player 1.



Interpret, correct or complete algorithms.

An algorithm for an RPG game generates a list of random caverns into which objects will be placed.

Caverns are numbered 1-50. The number of caverns to return is n.

```
FUNCTION randomcaverns(n)
    caverns = []
    FOR c = 1 TO n
        valid = TRUE
        WHILE valid = FALSE
        r = RANDOM (1,50)
        valid = FALSE
        FOR i = 0 TO caverns.LENGTH
            if caverns[i] = r THEN valid = FALSE
            NEXT i
        ENDWHILE
        caverns[c] = c
        NEXT c
        RETURN caverns
ENDFUNCTION
```



How to produce algorithms using flow diagrams

An RPG game allows a player to input their next move by entering N, E, S or W. The valid moves are stored in a list like this: move = [0,1,0,1] Zero means the move is not possible. One means it is possible. The possibilities are stored in the list in the order: N, E, S, W.

A function takes two parameters: m is the move: "N", "E", "S" or "W"; vm is a list of the valid moves.

Assuming a zero indexed list/array.



How to produce algorithms using pseudocode

An RPG game allows a player to input their next move by entering N, E, S or W. The valid moves are stored in a list like this: move = [0,1,0,1] Zero means the move is not possible. One means it is possible. The possibilities are stored in the list in the order: N, E, S, W.

A function takes two parameters: m is the move: "N", "E", "S" or "W"; vm is a list of the valid moves.

GCSE Unit 2.1 | Algorithms



Assessr	nent	Target:	Overall grade:	
Minimu	im expectations by the end of this unit			
	You should have learnt terms 100-111 from your GCSE Level Key Terminology during this unit.			
	You have completed all the pages of the workbook			
	Score 80% in the end of unit test.			

Feedback

Breadth	<u>Depth</u>	Understanding
All aspects complete	Excellent level of depth	All work is accurate
Most aspects complete	Good level of depth	Most work is accurate
Some aspects complete	Basic level of depth shown	Some work is accurate
Little work complete	Little depth and detail provided	Little work is accurate

Comment & action

Student response



Reflection & Revision checklist

 I can explain what is meant by the term abstraction. I can explain why abstraction is helpful when we are designing a solution to a problem. I can explain what decomposition is and how it is useful. I can explain what is meant be 'algorithmic thinking'. I can explain how a binary search works. I can explain how a linear search works. 	<u>Confidence</u>	Clarification
 I can explain why abstraction is helpful when we are designing a solution to a problem. I can explain what decomposition is and how it is useful. I can explain what is meant be 'algorithmic thinking'. I can explain how a binary search works. I can explain how a linear search works. 	$\mathfrak{S} \oplus \mathfrak{S}$	I can explain what is meant by the term abstraction.
I can explain what decomposition is and how it is useful.I can explain what is meant be 'algorithmic thinking'.I can explain how a binary search works.I can explain how a linear search works.I can explain how a linear search works.	$\mathfrak{S} \cong \mathfrak{S}$	I can explain why abstraction is helpful when we are designing a solution to a problem.
I can explain what is meant be 'algorithmic thinking'. I can explain how a binary search works. I can explain how a linear search works.	$\mathfrak{S} \cong \mathfrak{S}$	I can explain what decomposition is and how it is useful.
I can explain how a binary search works. I can explain how a linear search works.	$\mathfrak{S} \cong \mathfrak{S}$	I can explain what is meant be 'algorithmic thinking'.
(a) (a) (b) (c) (c)	$\mathfrak{S} \cong \mathfrak{S}$	I can explain how a binary search works.
	$\mathfrak{S} \oplus \mathfrak{S}$	I can explain how a linear search works.
(;) (;) I can explain how a bubble sort works.	$\otimes \odot \odot$	I can explain how a bubble sort works.
⊗ 😄 😳 I can explain how a merge sort works.	$\mathfrak{S} \oplus \mathfrak{S}$	I can explain how a merge sort works.
⊗ 😄 😳 I can explain how an insertion sort works.	$\mathfrak{S} \cong \mathfrak{S}$	I can explain how an insertion sort works.
😕 😊 🛛 I can explain how to produce pseudocode to describe an algorithm and why it is needed.	$\mathfrak{S} \cong \mathfrak{S}$	I can explain how to produce pseudocode to describe an algorithm and why it is needed.
😕 🙂 🛈 I can explain how to produce a flow diagram to describe an algorithm.	$\mathfrak{S} \cong \mathfrak{S}$	I can explain how to produce a flow diagram to describe an algorithm.
😕 🙂 🛛 I can interpret, correct and complete a range of algorithms.	$\mathfrak{S} \cong \mathfrak{S}$	I can interpret, correct and complete a range of algorithms.

My revision focus will need to be: